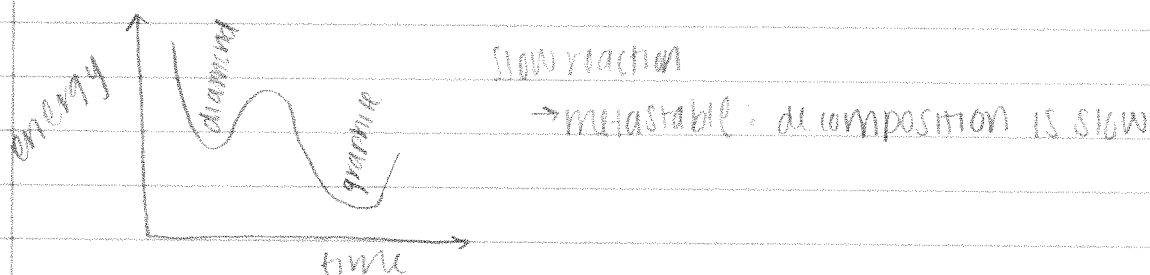


Class Notes 2/15

CHEMICAL KINETICS

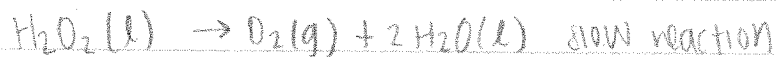
Diamonds are forever?

- structure of graphite is more stable than diamond, so diamonds should decompose
- happens very slowly
- must gain energy to turn to graphite



* Kinetics = study of rates

- kinetics can be used to predict whether a rxn occurs on a reasonable time scale
- How long until EQ
- used to understand how a rxn proceeds from reactants to products so that we can better harness useful reactions



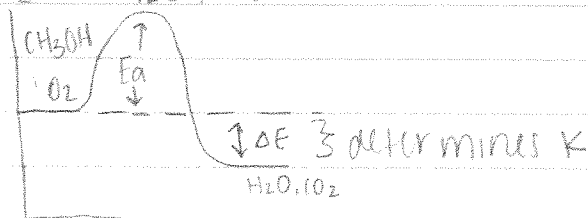
hydrogen
peroxide

+ catalyst FAST

Kinetics vs EQ

- where EQ lies is determined by whether products are downhill/uphill in energy relative to reactants
- all reactions have an uphill barrier to "get ball rolling." small barrier, fast reaction
- k = rate constant

- ΔE is the energy difference for products & reactants
 → determines K , the EQ constant



- E_a is the energy barrier for reactants to products
 → determines k

$$\text{rate} = \frac{\text{distance}}{\text{time}} = \frac{75 \text{ miles}}{1.25 \text{ hrs}} = 60 \text{ mph} \quad \leftarrow \text{average rate}$$

For a chemical rxn, $\text{rate} = \frac{\text{concentration}}{\text{time}}$

reaction rate

- change in concentration over a time period
- types of rates

→ average rate

→ instantaneous rate

→ initial rate:



★ rates are always positive

initial rates are early in the rxn before B builds up. Ignore $B \rightarrow A$



$$\text{rate} = \frac{-\Delta[A]}{\Delta t} = \frac{+\Delta[B]}{\Delta t}$$

$\Delta = \text{final} - \text{initial}$

$t = 0s$	$t = 40s$	rate = $\frac{0.70 \text{ mol B} - 0 \text{ mol A}}{40s} = 0.18 \text{ mol/s}$
1 mol A	0.3 mol A	
0 mol B	0.7 mol B	

Instantaneous rate

- plot of concentration vs time allows determination of instantaneous rate

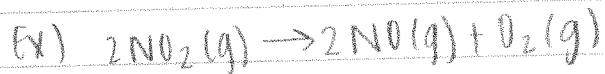
- absolute value of the slope of the tangent line @ any point gives

instantaneous rate

General case



$$\text{rate} = \frac{-1 \Delta[A]}{a \Delta t} = \frac{-1 \Delta[B]}{b \Delta t} = \frac{+1 \Delta[C]}{c \Delta t} = \frac{+1 \Delta[D]}{d \Delta t}$$



$$\text{rate} = \frac{-1 \Delta[\text{NO}_2]}{2 \Delta t}$$

$$\text{rate} = \frac{+1 \Delta[\text{NO}]}{2 \Delta t}$$

$$\text{rate} = \frac{+ \Delta[\text{O}_2]}{\Delta t}$$